Course Title: Algebra 1 (incorporating Probability and Statistics)
$\left.\begin{array}{|l|l|l|}\hline \text { School: THS } & \text { Grade: } 8 \text { Honors } & \begin{array}{l}\text { Curriculum Pacing: } \mathbf{3 6} \text { weeks } \\ 3 \text { "Buffer weeks" to allow for } \\ \text { review/remediation and enrichment. }\end{array} \\ \hline \begin{array}{l}\text { Unit One: Linear Equations, Inequalities, } \\ \text { and Systems } \\ \text { (Unit 2-in book) }\end{array} & \text { Unit Two: Linear Regression } & \begin{array}{l}\text { Unit Three: Introduction to Exponential } \\ \text { Functions }\end{array} \\ \hline \text { Unit Pacing: 7 weeks } & \text { Unit Packing: 3 weeks } & \text { Unit Pacing: } 7 \text { weeks } \\ \hline \begin{array}{l}\text { Unit Overview: In this unit, students } \\ \text { expand and deepen their prior } \\ \text { understanding of expressions, equations, } \\ \text { and inequalities. Students reason about } \\ \text { equations, inequalities, and systems of } \\ \text { equations and inequalities as ways to } \\ \text { represent constraints, and they reason } \\ \text { about the process of solving equations and } \\ \text { inequalities in terms of finding values that } \\ \text { satisfy those constraints. The process of } \\ \text { finding solutions may involve rewriting and } \\ \text { manipulating equations. Students learn to } \\ \text { explain and validate the steps to do so. } \\ \text { Throughout the unit, students practice } \\ \text { reasoning about situations and } \\ \text { mathematical representations, interpreting } \\ \text { expressions and numbers in context, and } \\ \text { using mathematical tools to model } \\ \text { quantities and relationships. }\end{array} & \begin{array}{l}\text { Unit Overview: This unit will have students } \\ \text { use their knowledge of linear functions and } \\ \text { scatter plots. They will be expanding on this } \\ \text { knowledge and using it to model and make } \\ \text { predictions of real and experimental data } \\ \text { that behaves linearly. }\end{array} & \begin{array}{l}\text { Unit Overview: In this unit, students are } \\ \text { introduced to exponential relationships. } \\ \text { Students learn that exponential relationships } \\ \text { are characterized by a constant quotient } \\ \text { over equal intervals, and compare them to } \\ \text { linear relationships which are characterized }\end{array} \\ \text { by a constant difference over equal intervals. } \\ \text { They encounter contexts with quantities that } \\ \text { change exponentially. These contexts are } \\ \text { presented verbally and with tables and } \\ \text { graphs. They construct equations and use } \\ \text { them to model situations and solve } \\ \text { problems. They learn that the output of an } \\ \text { increasing exponential function is eventually } \\ \text { greater than the output of an increasing }\end{array}\right\}$

|  |  | . $f(x)=a b^{x}$ The context of credit (both in terms of loans and savings) is used through several lessons. |
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| Compelling Questions <br> 1. If I am given a description of a situation, how can I use representations like diagrams, tables and equations to help make sense of it? <br> 2. How can I find values that satisfy each constraint individually, and values that satisfy all constraints at once when given descriptions or graphs that represent multiple constraints? <br> 3. How can I solve equations that model real world situations? <br> 4. What algebraic properties are used to solve or manipulate equations? | Compelling Questions <br> 1. How do we determine if there is a statistically significant correlation between two variables and, if so, how can we obtain an approximation? <br> 2. How do we create a line of best fit that describes the trends/patterns of our data? | Compelling Questions <br> 1. What are the differences between linear and exponential functions? <br> 2. How do we use exponential equations to model credit in terms of loans and savings? <br> 3. How do we model exponential functions and state what each variable represents? |
| Priority Learning Targets <br> 1. I can write an equation to describe a situation that involves multiple quantities whose values are not known, and then solve the equation for a particular variable. HSA-CED.A.2, HSA-CED.A. 3 <br> 2. I can find solutions to equations by reasoning about a situation or by using algebra. <br> HSA-REI.A, HSA-REI.B. 3 <br> 3. I can write a system of inequalities to describe a situation, find the solution by graphing, and interpret points in the solution. | Priority Learning Targets <br> 1. I can create a scatter plot and make inferences about the relationship between two sets of data. <br> 2. I can model data as a linear function using linear regression. <br> CCSS.MATH.CONTENT.HSS.ID.B. 6 CCSS.MATH.CONTENT.HSS.ID.C. 8 CCSS.MATH.CONTENT.HSS.ID.C. 9 A.CED.1, 2, 3, 4 | Priority Learning Targets <br> 1. I can use exponential functions to model situations that involve exponential growth or decay. <br> HSF-BF.A.1, HSF-IF.A.2, HSF-IF.B.4, HSF-IF.B.5, HSF-LE.A.1, HSF-LE.A.2, HSF-LE.B.5, HSN-Q.A.1, HSN-Q.A.3, HSS-ID.B.6.a <br> 2. I can calculate rates of change of functions given graphs, equations, or tables. HSF-LE.A.1.a, HSF-LE.A.1.b, HSF-LE.A. 2 <br> 3. When given data, I can determine an appropriate model for the situation described by the data. |


| HSA-REI.D.12, HSA-CED.A.2 |  | HSF-BF.A.1, HSF-IF.A.2, HSF-IF.B.4, <br> HSF-IF.B.5, HSF-LE.A.1, HSF-LE.A.2, <br> HSF-LE.B.5, HSN-Q.A.1, HSN-Q.A.3, <br> HSS-ID.B.6.a |
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| PS 1: |  |  |
| Unit Four: Introduction to Quadratic <br> Functions | Unit Five: Quadratic Equations | Unit Six: Interpreting and Representing <br> Data |
| Unit Pacing: 6 weeks | Unit Pacing: 6 weeks | Unit Pacing: 7 weeks |
| Unit Overview: In this unit, students study <br> quadratic functions systematically. They <br> look at patterns which grow quadratically <br> and contrast them with linear and <br> exponential growth. Then they examine <br> other quadratic relationships via tables, <br> graphs, and equations, gaining appreciation <br> for some of the special features of quadratic <br> functions and the situations they represent. <br> They analyze equivalent quadratic <br> expressions and how these expressions <br> help to reveal important behavior of the <br> associated quadratic function and its graph. <br> They gain an appreciation for the factored, <br> standard, and vertex forms of a quadratic <br> function and use these forms to solve <br> problems. | Unit Overview: In this unit, students <br> interpret, write, and solve quadratic <br> equations. They learn that writing and <br> solving quadratic equations is a way to <br> precisely describe and answer questions <br> about quadratic functions. It is especially <br> useful for finding input values that produce <br> certain outputs. <br> Students solve quadratic equations by <br> reasoning, by rewriting expressions in <br> factored form and using the zero product <br> property, by completing the square, and by <br> applying the quadratic formula. They also <br> rewrite expressions in vertex form to solve <br> problems about the maximum or minimum <br> value of a function. Along the way, students <br> see that quadratic equations may have 2, 1, <br> or 0 solutions, and that the solutions may be <br> rational or irrational. | Unit Overview: In this unit, students will <br> explore different methods of representing <br> data graphically and corresponding analysis <br> for discussing and interpreting the data and <br> their graphs. Students will also begin to use <br> technology to analyze and represent data <br> graphically. |
| Compelling Questions | and |  |
| 1. How do quadratic functions compare to <br> other types of functions? | Compelling Questions <br> 1. How can I find solutions to an equation <br> that may have more than one and decide <br> which of the solutions is the best for the | What are the ways in which data can be <br> organized into tables and/or graphs, and <br> which are more useful in certain instances? |


| 2. How can we use the different forms of a quadratic function to model different situations? | situation that I am faced with? <br> 2. How does completing the square relate to the quadratic formula? |  |
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| Priority Learning Targets <br> 1. I can create quadratic functions and graphs that represent a situation. <br> HSF-BF.A.1, HSF-BF.A.1.a, HSF-IF.B.5, HSF-IF.C.7.a <br> 2. I can relate the vertex of a graph and the zeros of a function to a situation. <br> HSF-BF.A.1, HSF-BF.A.1.a, HSF-IF.B.5, HSF-IF.C.7.a <br> 3. I know that the domain of a function can depend on the situation it represents. HSF-BF.A.1, HSF-BF.A.1.a, HSF-IF.B.5, HSF-IF.C.7.a | Priority Learning Targets <br> 1. I can rewrite quadratic functions in different but equivalent forms of my choosing and use that form to solve problems. HSA-REI.B.4.b, HSA-REI.C.7, HSF-IF.C.8.a <br> 2. I can use the quadratic formula to solve an equation and interpret the solutions in terms of a situation. <br> HSA-CED.A.1, HSA-REI.A, HSA-REI.B.4.b, HSF-IF.B. 5 <br> 3. I can use the factored form of a quadratic expression or a graph of a quadratic function to answer questions about a situation. HSA-REI.D, HSA-SSE.A, HSA-SSE.A.2, HSF-IF.B. 4 | Priority Learning Targets <br> 1. I can graphically represent data as a histogram(and/or bar graph), dot plot, stem-leaf plot, frequency table, box and whisker plot, and pie chart <br> 2. I can make inferences about a set of data using a five number summary, IQR, mean and standard deviation <br> 3. I can analyze a set of data for unusual results. |

